

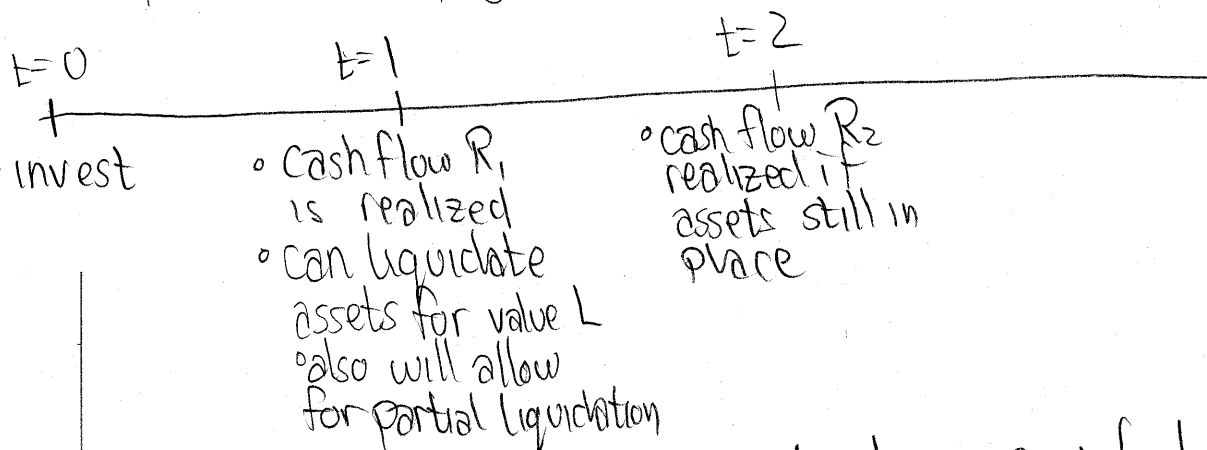
We will have class tomorrow.

- One final model on financial contract
- Public versus private ownership
- Last four classes is on the foundations of incomplete contracts.

### Collateral and Maturity Considerations

Hart-Moore (QJE '98) - also in QJE '94

- Entrepreneur  $D$  has wealth  $W < \underbrace{I}_{\text{investment}}$
- Competitive supply of risk neutral investors.



- assume we have ERS technology, so if liquidate partially, get partial cash flows.
- interest rate 0
- assume asset is worthless at end of time  $t=2$ .
- $R_1$ ,  $R_2$ , and  $L$  are ex ante uncertain
  - uncertainty is resolved at  $t=1$ .
- symmetric information
- $R_1$  and  $R_2$  can be diverted by  $E$ , but the assets cannot.

- $R_2 > L$  with  $pr 1$
- $E[R_1 + R_2] > I \Rightarrow$  It is FB to invest
- $D(\text{debtor}) \Leftrightarrow$  Entrepreneur  
(creditor)
- $D$  borrows  $B = I - W + T$  (can borrow more than you need)
  - $T \geq 0$ ,  $T$  goes into private account (cannot be seized.)
- Payments are  $P_1$  and  $P_2$ . (at  $t=1$  and  $t=2$ , respectively).
- If  $D$  does not pay, then  $C$  can seize the assets.
  - clearly,  $P_2 = 0$ , since assets are worthless afterwards. Call  $P = P_1$ .
- Debt contract is completely defined by  $(P, T)$ .
- $D$  can liquidate to repay the creditor. (cannot siphon off this money)
- $C$  may or may not choose to exercise her liquidation rights - renegotiation.
- Assume with probability  $1-\alpha$  that  $D$  makes it a take-it-or-leave-it offer to  $C$  and with probability  $\alpha$ ,  $C$  makes a take-it-or-leave-it offer to  $D$ . (ie w/prob  $1-\alpha$ ,  $D$  has all the bargaining power and w/prob  $\alpha$ ,  $C$  has all the bargaining power.)

◦ For simplicity, assume  $\alpha = 1$ .

Case I: If  $T + R_1 > R_2$ , then C gets  $R_2$ , and  $f = 1$ , where  $f$  is the fraction of assets left in place. wealth of D at  $t=1$

Case II: If  $T + R_1 < R_2$ , then sell  $\frac{T + R_1}{R_2}$  to D

for  $T + R_1$ , and  $f = 1 - \frac{T + R_1}{R_2}$ , and then

C gets  $T + R_1 + L \left(1 - \frac{T + R_1}{R_2}\right)$

Example: Suppose  $I = 90$ ,  $W = 50$

State 1:  $R_1 = 50$ ,  $R_2 = 100$ ,  $L = 80$ , w/prob  $\frac{1}{2}$

State 2:  $R_1 = 80$ ,  $R_2 = 100$ ,  $L = 30$ , w/prob  $\frac{1}{2}$

◦ Set  $T = 0$ ,  $P = 50$ ,  $\alpha = 0$ .

In state 1: No default. C gets 50, and  $f = 1$ .

In state 2: D defaults. There is no renegotiation, and C gets 30, and  $f = 1$ .

◦ It is inefficient to liquidate, so we have first best.

◦ C gets 50 w/prob  $\frac{1}{2}$ , 30 w/prob  $\frac{1}{2}$  = 40 in expectation  $\Rightarrow$  loan 40, so PC holds with equality.

Now assume  $T > 0$ .

In state 1: C gets  $P$

In state 2: C gets  $L$

$$\circ \frac{1}{2}P + \frac{1}{2}L = I - w + T \quad (PC)$$

$$\circ \frac{1}{2}P + 15 = 40 + T$$

$$\Rightarrow P = 50 + 2T > 50$$

Thus, in state 1, you need to partially liquidate. (unless  $T=0$ )

Remarks: 1] Can do this with more general contracts.

- option contracts: give C an option to buy the project for some amount  $K$ .
- sometimes, this does better than debt.

2] Dynamic version - QJE '94 paper.

$$\circ P_1, P_2, P_3, \dots$$

- allows for more flexibility for the rate of repayment. (maturity structure)

3] Collateral is important.

4] Macroeconomic considerations

- i) Shleifer-Vishny - amplification procedure
- ii) Kiyotaki-Moore

## 5] Multiple creditors

- may act as a commitment not to renegotiate.

## Public versus Private Ownership

- Certainly there are circumstances under which the government should pay for certain things. When, though, should the government own things?

- e.g. Private ownership of prisons.

### ◦ Klaus Schmidt (JLEO '96)

- Manager puts in effort. This affects cost.
- Government buys stuff from firm
- Government doesn't observe cost
  - of regulation (screening contract)
- Manager is an empire builder (not so worried about profits - more about sales)

## Hart-Schleifer-Vishny (QJE '98)

### ◦ Prisons

- Two players: gov't (G), manager (M)

### ◦ Contract on "basic good" (e.g. widget)

- price is  $P_0$

- yields benefit  $b_0$  to government

- 
- Cost  $C_0$  borne by manager
  - "actual good"
  - social benefit  $B_0 - b(e) + \beta(i)$
  - cost  $C_0 - c(e)$  pure quality innovation
  - $e$  reduces cost and benefit
  - $e, i$  observable but not verifiable